

-Irrigation definitions-

Precipitation rates:

Square spacing

$$iph(gross) = \frac{96.3 \times gpm}{S \times R}$$

S = spacing between sprinklers in a row (feet)

R = spacing between rows (feet)

0.866 = sine of 60°

$$96.25(96.3) = \frac{ft^3}{7.48} \times \frac{60 \text{ min.}}{\text{hour}} \times \frac{12 \text{ in.}}{ft.}$$

$$34650 = \frac{ft^3}{7.48} \times \frac{60 \text{ min.}}{\text{hour}} \times \frac{12 \text{ in.}}{ft.} \times 360^\circ$$

Any arc:

$$IPH(gross) = \frac{34650 \times gpm}{ft^2 \times arc^\circ}$$

-or-

**Net precipitation rate = Avg. catch vol. (ml) x 3.66
Runtime (min.) x Area of catchcup (sq. in.)**

$$3.66 = \frac{60 \text{ min.}}{\text{hr.}} \times \frac{1 \text{ in.}}{16.38 \text{ ml}}$$

**Net precipitation rate = Avg. catch vol. (ml) x 23.62
Runtime (min.) x Area of catchcup (sq. cm.)**

$$23.62 = \frac{60 \text{ min.}}{\text{hr.}} \times \frac{1 \text{ in.}}{2.54 \text{ cm}}$$

Irrigation Definitions (cont.)

Coefficient of Uniformity (CU)

- $CU = 100 (1 - D/M)$
- $D = (1/n) \sum |X_i - M|$
- $M = (1/n) \sum X_i$
- Where: CU = Christiansen's Coefficient of Uniformity (%)
- D = Average Absolute Deviation From the Mean
- M = Mean Application
- X_i = Individual Application Amounts
- n = Number of Individual Application Amounts

Conversion Factors for irrigation

- 1 psi = 2.31 feet of water column**
- 1 acre-inch = 27,154 gallons**
- 1 cfs = 449 gpm**
- 1 acre = 43560 ft²**
- 1 cubic foot = 7.48 gallons**
- 1 acre-inch / hour = 453 gpm**
- 1 million gal. per day (mgd) = 694.4 gpm**
- 1 horsepower = 0.746 kilowatts**

Low quarter Distribution Uniformity (DU_{lq})

DU = [average of low 25% / overall average] X 100

$$DU_{lq} = \frac{avg\ of\ flow\ Q}{overall\ avg} \times 100$$

Runtime Minutes = $\frac{\text{Target irrigation (min.)} \times 60}{\text{Precip. Rate (inches/hour)}}$

Inches (depth) = $\frac{1.604 \times \text{gallons}}{Ft^2}$

$$1.604 = \frac{ft^3}{7.48\ gal.} \times \frac{12\ in.}{ft} \times \frac{1}{ft^2}$$

Landscape water requirement (gallons) =

$[(ET_o \times Kc) - \text{rain}] \times Ft^2 \times 0.6233$

$$0.6233 = \frac{7.48\ gal.}{ft^3} \times \frac{1\ ft.}{12\ in.}$$